VOL. 35 INDIAN JOURNAL OF PHYSICS

No. 10

( Published in collaboration with the Indian Physical Society)

AND

VOL. 44

# **PROCEEDINGS**

No 10

OF THE

INDIAN ASSOCIATION FOR THE CULTIVATION OF SCIENCE

OCTOBER 1961

PUBLISHED BY THE
INDIAN ASSOCIATION FOR THE CULTIVATION OF SCIENCE

JADAVPUR, CALCUTTA 32

#### BOARD OF EDITORS

K. BANERJEE D. S. KOTHARI
D. M. BOSE S. K. MITRA

S. N. Bose K. R. Rao P. S. Gill D. B. Sinha

S. R. KHASTGIR S. C. SIRKAR (Secretary)

B. N. SRIVASTAVA

#### EDITORIAL COLLABORATORS

PROF. R. K. ASUNDI, Ph.D., F.N.I.

PROF. D. BASU, Ph.D.

PROF. J. N. BHAR, D.Sc., F.N.I.

PROF. A. BOSE, D.Sc., F.N.I.

PROF. S. K. CHAKRABARTY, D.Sc., F.N.I.

Dr. K. Das Gupta, Ph.D.

PROF. N. N. DAS GUPTA, PH.D., F.N.I.

Prof. A. K. Dutta, D.Sc., F.N.I.

PROF. S. GHOSH, D.Sc., F.N.I.

Dr. S. N. GHOSH, D.Sc.

PROF. P. K. KICHLU, D.Sc., F.N.I.

PROF. D. N. KUNDU, PH.D., F.N.I.

PROF. B. D. NAG CHAUDHURI, Ph.D.

PROF. S. R. PALIT, D.Sc., F.R.I.C., F.N.I.

Dr. H. Rakshit, D.Sc., F.N.I.

PROF. A. SAHA, D.Sc., F.N.I.

DR. VIKRAM A. SARABHAI, M.A., PH.D.

DR. A. K. SENGUPTA, D.Sc.

DR. M. S. SINHA, D.Sc.

Prof. N. R. Tawde, Ph.D., F.N.I.

DR. P. VENKATESWARLU

Assistant Editor
Sri J. K. Roy, M.Sc.

Annual Subscription—
Inland Rs. 25.00
Foreign £ 2.10-0 or \$ 7.00

#### NOTICE

### TO INTENDING AUTHORS

- 1. Manuscripts for publication should be sent to the Assistant Editor, Indian Journal of Physics, Jadavpur, Calcutta-32.
- 2. The manuscripts submitted must be type-written with double space on thick foolscap paper with sufficient margin on the left and at the top. The original copy, and not the carbon copy, should be submitted. Each paper must contain an Abstract at the beginning.
- 3. All References should be given in the text by quoting the surname of the author, followed by year of publication, e.g., (Mazumder, 1959). The full Reference should be given in a list at the end, arranged alphabatically, as follows; Mazumder, M. 1959, Ind. J. Phys., 33, 346.
- 4. Line diagrams should be drawn on white Bristol board or tracing paper with black Indian ink, and letters and numbers inside the diagrams should be written neatly in capital type with Indian ink. The size of the diagrams submitted and the lettering inside should be large enough so that it is legible after reduction to one-third the original size. A simple style of lettering such as gothic, with its uniform line width and no serifs should be used, e.g.,

### A·B·E·F·G·M·P·T·W·

- 5. Photographs submitted for publication hould be printed on glossy paper with somewhat more contrast than that desired in the reproduction.
- 6. Captions to all figures should be typed in a separate sheet and attached at the end of the paper.
- 7. The mathematical expressions should be written carefully by hand. Care should be taken to distinguish between capital and small letters and superscripts and subscripts. Repetition of a complex expression should be avoided by representing it by a symbol. Greek letters and unusual symbols should be identified in the margin. Fractional exponents should be used instead of root signs.

# Bengal Chemical and Pharmaceutical Works Ltd. The Largest Chemical Works in India

Manufacturers of Pharmaceutical Drugs, Indigenous Medicines, Perfumery Toilet and Medicinal Soaps, Surgical Dressings, Sera and Vaccines Disinfectants, Tar Products, Road Dressing Materials, etc.

Ether, Mineral Acids, Ammonia, Alum, Ferro-Alum Aluminium Sulphate, Sulphate of Magnesium, Ferri Sulph. Caffeine and various other Pharmaceutical and Research Chemicals.

Surgical Sterilizers, Distilled Water Stills, Operation Tables, Instrument Cabinets and other Hospital Accessories.

Chemical Balance, Scientific Apparatus for Laboratories and Schools and Colleges, Gas and Water Cocks for Laboratory use Gas Plants, Laboratory Furniture and Fittings.

Fire Extinguishers, Printing Inks.

Office: 6, GANESH CHUNDER AVENUE, CALCUTTA-13
Factories: CALCUTTA - BOMBAY - KANPUR

# X-RAY DIFFRACTION APPARATUS

(India Made)

Complete with

Machlett Shockproof Beryllium Windows Sealed Tubes of different Target Materials on

C. G. R. (paris) demountable tube with six Target Materials; Targets rotatable under vaccum.

Machine already incorporated voltage compensator to compensate up to 30 Volts supply change.

Electro-magnetic, Electronic, or Servo machanical or Chemo-Electric STABILISER can be added to the filament circuits or to the entire machine for further stabilization.

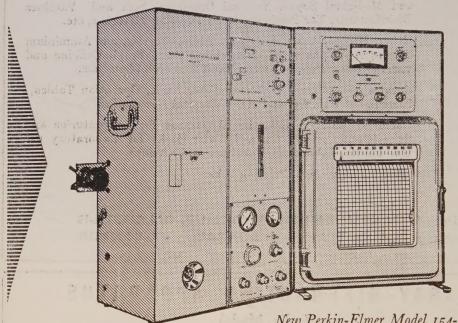
OTHER X-RAY EQUIPMENTS & HIGH TENSION UNITS

EX-STOCK : DELIVERY (One month's notice) NO LICENCE REQUIRED

# RADON HOUSE

89, Kalighat Road

# Now-HANDLE ANY PROBLEM IN GAS CHROMATOGRAPHY WITH ONE INSTRUMENT



New Perkin-Elmer Model 154-D affords greater range and flexibility in choice of sampling, separation, detection and measurement than any other instrument

Improvements come fast and furious in gas chromatography. Columns, detectors, sampling techniques, recorders have all been modified considerably—and new ones developed—since Perkin-Elmer introduced the the first commercial vapor fractometer 6 years ago.

#### FEATURES

- Flame ionization, thermistor, and hot-wire detectors—use singly or in combination.
- Golay (capillary) or packed columns (22)
   —use singly or in parallel.
- Micro-condensor, micro-reactor accessories for special studies.
- High-volume preparative columns for pure components.
- Automatic sample splitting for micro and macro quantities,
- Model 194 Printing Integrator for automatic printed integration of chart peak

As your analytical problems become more complex, you have the assurance that this instrument has the capability to handle them, its basic design makes it completely compatible with the widest range of accessories.

NSTRUMENT DIVISION

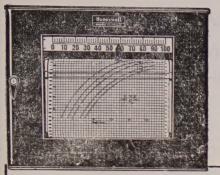
Perkin-Elmer Corporation.

Sold and serviced in India exclusively by

BLUE \* STAR

BLUE STAR ENGINEERING
CO. (Calcutta) Private LTD.
7 HARE STREET, CALCUTTA I

Also at BOMBAY . DELHI . MADRAS



#### Electronik

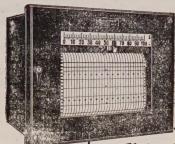
FUNCTION PLOTTER Automatically and continuously plots a curve which shows the relationship of one variable to another. Typical uses: speed versus torque, stress versus strain, temperature versus pressure, plate voltage versus plate current (and other electron tube characteristics), and many other variable relationships.

# Measure and plot changes

in variables as they occur...

# with Electronik

# instruments for research

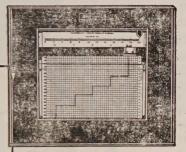


#### Electronik

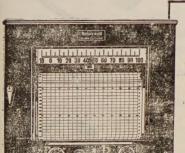
NARROW RECORDERS. rately measure d-c potentials as low as 0.1 microvolt and spans as narrow as 100 microvolts. Available as a precision indicator. circular chart recorder. and strip chart recorder. Useful (with appropriate primary measuring elements) for measuring differential temperatures and slight variations in the temperatures of small objects through the use of radiation pyrometry.

#### Electronik

EXTENDED RANGE RECORDER Facilitates measurement of any linear variable whose values change over a wide range, and where precise evaluation and good resolution are important. This instrument is particularly suited to the measurement of forces in conjunction with a strain gage bridge.



Here's an exceptional group of instruments to measure and record your research findings swiftly, surely, conveniently. These ElectroniK instruments for research can speed completion of your projects, by eliminating many of the tedious, time-consuming details of test work.



#### Electronik

ADJUSTABLE SPAN RECORDER Measures spans and magnitudes of a variety of emf's. Instrument calibration can be in terms of any variable reducible to d-c voltage. Can be used with thermocouples, steam gages, tachometers, and other transducers.

Honeywell



First in Control

Sold and serviced in India exclusively by

BLUE



STAR

BLUE STAR ENGINEERING CO. (Calcutta) PRIVATE LTD.

7 HARE STREET, CALCUTTA !
Also at BOMBAY, DELHI, MADRAS

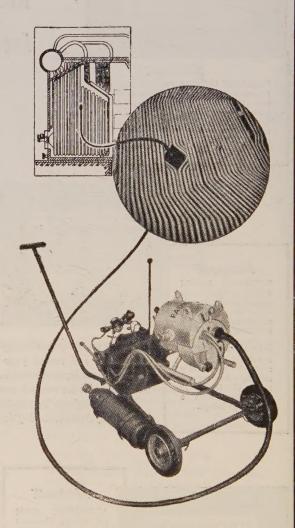


# MATERIAL TESTING BY RADIOACTIVE ISOTOPES WITH SEIFERT CONSTRUCTIONS

The new-designed, pneumatically operated isotope container, chargeable with Gamma-emitters up to 10 Curie Cobalt 60 or with Iridium-Isotopes of any wanted intensity, is movable easily and is suitable especially for examinations at large-scale construction sites, in inaccessible regions and may be a welcome completion to industrial X-ray equipment when use of these is impossible or seems unadvisable.

This operation container is ray-proof according to the international recommendations of ray protection on a 1m distance (abt.3 ft). The container is mounted on a dolly, can be turned and lifted, so that it may be adjusted comfortably to the object to be examined when radioscoping directly.

The recent and remarkable device of this operation container is a kind of "dispatch tube" by means of which the emitter can be dispatched quickly and ray-proof to any position being out of the range of the car or the container by complicated situations or large differences of level. This kind of "letter shoot" is consisting of a double walled compressed-air-hose 20m in length (abt. 60 ft.) to be fastened at the isotope container, and a compressed-air bottle at the under-carriage. The hose is lead across and in relatively small curves from the locked container to the point to be radioscope. Subsequently the container is opened and the emitter will be shot by compressed air along the hose to the point, to be "shot". Having finished the exposure the emitter will return to the container by compressed air in reverse direction and again enclosed rayproof in the container-



The operating expenses are conceivably small. Further advantages are robustness of the equipment and low service expenses.

For further particulars please write to:

Sole Distributors

THE SCIENTIFIC INSTRUMENT CO., LTD.
ALLAHABAD, BOMBAY, CALCUTTA, MADRAS, NEW DELHI



# APPLICATION OF THE UREY-BRADLEY AND THE ORBITAL VALENCY FORCE FIELDS TO SOME TETRAHEDRAL IONS

#### T. A. HARIHARAN

Department of Physics, Regional Engineering College, Surathkal, Mysore State (Received June 30, 1961)

ABSTRACT. In the case of the tetrahedral ions CrO<sub>4</sub><sup>-</sup>, MoO<sub>4</sub><sup>-</sup>, GaBr<sub>4</sub><sup>-</sup>, InBr<sub>4</sub><sup>-</sup> and T1Br<sub>4</sub><sup>-</sup> the force constants have been calculated using the Urey-Bradley type of potential function and the orbital valency force field. The appropriate potential function for each case is discussed.

#### INTRODUCTION

Among the various types of potential functions used for studying the problem of molecular vibrations the valence force function is more extensively adopted than the others. Instead of a simple valence force function containing only quadratic terms, the one which takes into account the various interaction terms is found to be more satisfactory. However, a proper choice of these interaction terms or their adequate physical interpretation is not quite simple. A modification of the valence force function has been brought about by Urey and Bradley (1931) by introducing repulsion terms between non-bonded atoms of the type  $a/R^n$  where 'a' and 'n' are constants and R the distance between the atoms. A systematic investigation by Heath and Linnet (1948) on a number of tetrahedral halides of the group IV elements revealed that in a majority of cases n comes out to be nearly 4.5. This value was not acceptable for two reasons: (a) for the value n = 4.5 the stretching of the bonds would be more than what has been actually observed, (b) the Lennard-Jones (1924) relation  $V = a/R^{12} - b/R^6$ , for the inert gas atoms are more reasonable because the bonded halogen atoms resemble electronically the inert gas atoms. According to the Lennard-Jones function, n can be taken as 12 after neglecting the second term which corresponds to attraction and is small compared to the first term. The potential function consists of four constants, namely, the stretching constant  $K_1$ , the bending constant  $K_{\alpha}$ ,

$$A\left(=rac{1}{2}rac{d^2V}{dR^2}
ight)$$
 and  $rac{B}{R}\left(=-rac{1}{R}rac{dV}{dR}
ight)$  where  $V$  is the function mentioned above.

The relation between A and B/R becomes fixed for any particular value of n, i.e.,  $A \colon B/R = n+1 \colon 2$ .

Another modification of the simple valence force field is what is known as the orbital valence force field first introduced by Heath and Linnet (1948). The main feature of this function is that it makes use of the same constant for both the in plane and out of plane vibrations in the case of planar molecules and it differs from the simple valency force field only in its treatment of angular vibrations. According to Pauling's (1931) idea of directed valency the orbitals of an atom are set at definite angles to each other and the most stable bond between two atoms, say P and Q, is formed when one of the bond forming orbital of P overlaps to a maximum extent the bond forming orbitals of Q. Whenever there is a displacement from the maximum overlap during molecular vibrations restoring forces will be called into play and these can be assumed to be proportional to the displacements (which are of course small) if the vibrations are simple harmonic.

There are two ways by which the overlap of the bond forming orbitals can be increased during the vibrations. In the case of tetrahedral molecules or ions with which we are concerned here the orbitals of the central atom might be rotated as a whole in such a way as to improve the overlap. On the other hand, the orbitals of the central atom might change their hybridisation ratios by changing the angles at which they are set with each other so as to follow the movements of the outer atoms. This idea has been called orbital following.

The orbital valency force field without taking into account the idea of orbital following also consists of four constants  $K_1$ ,  $K_{\alpha}'$  (instead of  $K_{\alpha}$  as in the simple valency force field), A and B/R. Heath and Linnet (1948) have observed that for the ions  $\mathrm{ClO_4}^-$ ,  $\mathrm{SO_4}^=$ ,  $\mathrm{SeO_4}^=$  and  $\mathrm{PO_4}^=$  the orbital valency force field is quite satisfactory. Such a force field is assumed in the present investigation to evaluate the force constants of the ions  $\mathrm{CrO_4}^-$ ,  $\mathrm{MoO_4}^-$ ,  $\mathrm{GaBr_4}^-$ ,  $\mathrm{InBr_4}^-$  and  $\mathrm{TlBr_4}^-$ .

#### THE POTENTIAL ENERGY FUNCTION

The potential energy function for tetrahedral molecules  $XY_4$  can be written in the form

$$U = \sum_{i} f(r_i) + \sum_{i,j} F(R_{ij}) + \sum_{i,j} \frac{1}{2} K_a (\Delta \alpha_{ij})^2 \qquad \dots (1)$$

the first term arising due to change in the  $X-Y_i$  distance  $(r_i)$ , the second term due to changes in the  $Y_i-Y_j$  distance  $(R_{ij})$ , and the last term due to changes in the angles  $Y_iXY_j(\alpha_{ij})$ . For small values of these variations the functions  $f(r_i)$  and  $F(R_{ij})$  can be expanded in powers of  $r_i$  and  $R_{ij}$  which denote the changes in  $r_i$  and  $R_{ij}$  from their equilibrium values  $r_i^{\circ}$  and  $R_{ij}^{\circ}$ . Retaining powers only up to the second we have

$$U = \sum_{i} f(r_i^0) + \sum_{i} f'(r_i^0) \Delta r_i + \sum_{i} \frac{1}{2} f''(r_i^0) \Delta r_i^2 + \sum_{i,j} F(R^0_{ij}) + \sum_{i,j} F'(R_i^0) \Delta R_{ij} + \sum_{i,j} \frac{1}{2} F''(R^0_{ij}) \Delta R^2_{ij} + \sum_{i,j} \frac{1}{2} K_{\alpha} (\Delta \alpha_{ij})^2 \dots (2)$$

Taking into consideration the above type of potential function the equations for the frequencies can be written as I For the simple valency force field:

Type 
$$A_1$$
  $\lambda_1 = \mu_{\nu}(K_1 + 8A)$  ... (3)

Type T2

$$\begin{split} \lambda_2 + \lambda_3 &= (\mu_y + \frac{4}{3}\mu_x) \left( K_1 + \frac{8}{3} A - \frac{4}{3} \frac{B}{R} \right) + (\mu_y + \frac{8}{3}\mu_x) \left( 2K_\alpha + \frac{4}{3}A + \frac{10}{3} \frac{B}{R} \right) \\ &- \frac{8}{3}\mu_x \left( \frac{8}{3}A - \frac{4}{3} \frac{B}{R} \right) & \dots & (4) \end{split}$$

$$\lambda_{2}\lambda_{3} = (\mu_{y}^{2} + 4\mu_{x}\mu_{y}) \left[ (K_{1} + \frac{8}{3}A - \frac{4}{3}\frac{B}{R}) \right]$$

$$\left(2K_{\alpha} + \frac{4}{3}A + \frac{10}{3}\frac{B}{R}\right) - \frac{1}{2}\left(\frac{8}{3}A - \frac{4}{3}\frac{B}{R}\right)^{2}$$
... (5)

Type E. 
$$\lambda_4 = \mu_y \left( 3K_\alpha + 2A + \frac{B}{R} \right) \qquad \dots \tag{6}$$

II For orbital valency force field:

Type A<sub>1</sub> 
$$\lambda_1 = \mu_y(K_1 + 8A) \qquad \dots \tag{7}$$

Type  $T_2$ 

$$\lambda_2 + \lambda_3 = (\mu_y + \frac{4}{3}\mu_x) \left( K_1 + \frac{8}{3}A - \frac{4}{3}\frac{B}{R} \right)$$

$$+(\mu_{y} + \frac{3}{3}\mu_{x}) \left( K'_{\alpha} + \frac{4}{3}A + \frac{1}{3} \frac{B}{R} \right)$$

$$-\frac{8}{3}\mu_{x} \left( \frac{8}{3}A - \frac{4}{3} \frac{B}{R} \right)$$
 ... (8)

$$\lambda_2 \lambda_3 = (\mu_y{}^2 + 4\mu_y \mu_x) \left[ \left( K_1 + \frac{8}{3} A - \frac{4}{3} \frac{B}{R} \right) \right]$$

$$\left(K_{\alpha}' + \frac{4}{3}A + \frac{10}{3}\frac{B}{R}\right) - \frac{1}{2}\left(\frac{8}{3}A - \frac{4}{3}\frac{B}{R}\right)^{2}\right] \qquad \dots (9)$$

Type 
$$E$$
 
$$\lambda_4 = \mu_y(K_a' + 2A + \frac{B}{R}) \qquad \dots (10)$$

 $\mu_x$  and  $\mu_y$  denote the reciprocal of the masses of the atoms X and Y respectively and  $\lambda_i = 4\pi^2 \ c^2 v_i^2$ . If the interaction function between non-bonded-atoms is assumed as  $V = a/R^n$ 

then 
$$\frac{B}{R^0} = \frac{na}{(R^0)^{n+2}}$$
 and  $A = \frac{n(n+1)a}{2(R^0)^{n+2}}$ 

so that

$$\frac{A}{(B/R^{\circ})}=rac{n+1}{2}$$

#### EVALUATION OF THE CONSTANTS

The values of  $K_{\alpha}$  and  $K_{\alpha}'$  can be obtained in terms of A from the equation for the doubly degenerate frequency  $\lambda_4$ . These can be then stustituted in the first equation for the triply degenerate vibrations  $T_2$  which will give an equation in  $K_1$  and A which can be solved simultaneously with the equation for the totally symmetric class  $A_1$ . By substituting the values of the force constants in the second equation for  $T_2$ , the calculated and observed values of  $\lambda_2\lambda_3$  can be compared.

#### RESULTS

The fundamental frequencies of the ions are taken from the published results on their Raman spectra and they are given in Table I. In Table II to V the values of the force constants for the six ions have been given while Table VI contains the observed and calculated values of  $\lambda_2\lambda_3$ . All the force constants are given in  $10^5$  dynes/cm.

TABLE I
Frequencies in cm<sup>-1</sup>

Ion	$\nu_1(A_1)$	$\nu_2(\mathrm{T}_2)$	$\nu_3(\mathrm{T}_2)$	$\nu_4({ m E})$	Reference
CrO=4	858	510	875	485	Landolt Bornsteins's
MnO=4	940	365	895	220	Tables, 1953
GaBr=4	210	102	278	.71	Woodward and Nord, (1955)
InBr=4	197	79	239	55	Woodward and Bill, (1955)
TlBr=4	190	64	209	51	Rolfe, Sheppard and Woodward (1954)

TABLE II S.V.F.F. n = 4.5

Ion	$K_1$	A	B/R	$K_{\alpha}$
CrO=4	4.209	0.3416	0.1242	0.4703
MoO=4	5.503	0.3536	0.1286	0.0634
GaB=4	1.269	0.101	0.0367	-0.0004
${ m InBr}_4$	1.307	0.0654	0.0237	-0.004
${ m TlBr}^{\omega}_{4}$	1.26	0.055	0.02	-0.0024

TABLE III

S.V.F.F. n = 12

Ion	K <sub>1</sub>	A	B/R	$\mathbf{K}_{lpha}$
CrO <sub>4</sub> =	4.466	0.3095	0.0476	0.517
MoO <sub>4</sub> =	5.73	0.3252	0.05	0.1085
GaBr4	1.054	0.1278 .	0.0197 .	-0.0126
InBr4 ·	1.365	0.058	0:009	0.0058
TlBr <sub>4</sub> =	1.303	0.0495	0.0076	0.0053

#### TABLE IV

O.V.F.F. n = 4.5

Ion	$K_1$	A	BR	. Κ <sub>α</sub> '
CrO <sub>4</sub> =	3.50	0.43	0.1564	1.201
MoO <sub>+</sub> =	5.408	0.3654	0.1328	0.1623
GaBr=4	1.269	0.1009	0.0367	-0.0011
InBr <sub>4</sub>	1.313	0.0646	0.0235	-0.012
TlBr=4	1.263	0.0545	0.0198	-0.0063

#### TABLE V

O.V.F.F. n = 12.

Ion	K <sub>1</sub>	A	B/R	$\mathbf{K}_{lpha}{}'$
CrO <sub>4</sub> =	3.741	0.4	0.0615	1.3568
MnO <sub>4</sub> =	5.581	0.3438	0.0529	0.2856
GaBr₄ <sup>™</sup>	1.345	0.0915	0.014	0.0404
IdBr₄=	1.357	0.059	0.009	0.0153
TlBr4**	1.296	0.0504	0.0078	0.0139

### TABLE VI

	$\frac{{}^{\lambda_2\lambda_3}}{{}^{\mu_{\boldsymbol{\mathcal{Y}}}^2}+4{}^{\mu_{\boldsymbol{\mathcal{X}}}\mu_{\boldsymbol{\mathcal{Y}}}}}$	$\mu_{2y}$	$\frac{\lambda_2\lambda_3}{+4\mu_x\mu_y}$ calcula	ted	
Ion	observed	S.V.	F.F. $n = 12$	n = 4.5	F.F. $p = 12$
CrO=4	$7.936  imes 10^{10}$	8.691 × 1010	$8.105 \times 10^{10}$	$9.754 \times 10^{10}$	' 9.41 × 10 <sup>10</sup>
MoO³₄	$5.692 \times 10^{10}$	$6.146 \times 10^{10}$	$5.017 \times 10^{10}$	$6.461 \times 10^{10}$	$5.557 \times 10^{10}$
GaBr=4	$3.195 \times 10^{9}$	$3.573 \times 10^{9}$	$2.391\times10^{9}$	$3.755  imes 10^9$	$3.033  imes 10^9$
InBr=4	$2.085 \times 10^{9}$	$2.1948 \times 10^{9}$	$1.693 \times 10^{9}$	$2.117 \times 10^{9}$	$1.763  imes 10^9$
TlBr=4	$1.545\times10^{9}$	$1.792\times10^{9}$	1.379  imes i09	$1.761\times10^{9}$	$1.444 \times 10^9$

It can be seen from Table VI that in the case of  $\mathrm{MoO_4}$   $\mathrm{GaBr_4}$  and  $\mathrm{TlBr_4}$  the orbital valency force field field with n=12 is more satisfactory than the others while for  $\mathrm{InBr_4}$  the same field with n=4.5 instead of 12 suits better. For the chromate ion the simple valency force field with n=12 yields better results than the others. This simple valency force field with n=4.5 is least satisfactory for all the ions. In the case of the ions  $\mathrm{ClO}_4$ ,  $\mathrm{SO}_4$ ,  $\mathrm{SeO_4}$  and  $\mathrm{PO_4}^\pm$ , Heath and Linnet (1948) have observed that the orbital valency force field holds better. The difference between observed and calculated values of  $\lambda_2\lambda_3$  can be further reduced by introducing modifications such as orbital following.

#### REFERENCES

Heath, D.F. and Linnet, J. W., 1948, Trans Farad. Soc. 44, 561.

Heath, D. F. and Linnet J. W., 1948, Trans Farad. Soc. 44, 873.

Heath, D. F. and Linnet, J. W., 1948, Trans Farad. Soc. 44, 884.

Lennard Jones, J. E., 1924, Proc. Roy. Soc. 106A, 463.

Pauling, L., 1931, J. Am. Chem. Soc. 53, 1367.

Rolfe, J. A. Sheppard D. E. and Woodward, L.A., 1954, Trans Farad. Soc. 50, 1275.

Urey, H.C. and Bradley, C. A., 1931, Phys. Rev. 38, 1969.

Woodward, L. A. and Bill, P. T., 1955, J. Chem. Soc., 1699.

Woodward, L. A. and Nord, A. A., 1955, J. Chem. Soc. 2655.

# X-RAY STUDY OF A DEHYDRATED PHASE OF COPPER AMMONIUM SULPHATE HEXAHYDRATE

#### GOURI BHOWMIK

MAGNETISM DEPARTMENT, I.A.C.S., CALCUTTA-32
(Received June 9, 1961)

#### Plate X

**ABSTRACT.** The cell-dimensions of Cu  $[(NH_4SO_4)]_2$   $6H_2O$  (monoclinic, space-group  $P2_1/a$ ) as determined from rotation photograph are found to be a=9.27Å, b=12.50Å, c=6.33Å  $\beta=106^{\circ}5'$ , with 2 molecules per unit icell. The results have been utilised to index the powder pattern of the substance. Analysis of the powder pattern by Lipson's method of the first stage dehydration product,  $\text{Cu}[NH_4(SO_4)]_2$   $2H_2O$  formed at  $65^{\circ}\text{C}$  shows that the product has orthorhombic structure, the cell dimensions being a=14.84Å, b=12.52Å c=10.69Å. The probable space groups are Pmn  $2_1$  and Pmnm with 8 molecules per unit cell.

#### INTRODUCTION

Magnetic measurements of the single crystals of a large number of Tutton salts (general formula M(R X  $Y_4$ )<sub>2</sub>  $6H_2O$  where M = Mg, Zn, Cd, Cu, Ni, Co, Fe, etc. R = K, Rb, Cs, NH<sub>4</sub>, XY<sub>4</sub> = SO<sub>4</sub>, SeO<sub>4</sub> or BeF<sub>4</sub>) showed (Bose *et al.* 1957 and 58) that they lose their magnetic anisotropies in the range  $338^{\circ}-393^{\circ}K$  the exact temperature depending upon the particular salt. This is evidently due to changes in crystal structure accompanying loss of water of crystallisation which causes the single crystals to become polycrystalline. Since the crystalline magnetic properties are intimately connected with the structure it would be interesting to study these changes in structure in order to elucidate the changes in the magnetic properties. As a typical case, the thermal dehydration of Cu[(NH<sub>4</sub>)SO<sub>4</sub>]<sub>2</sub>6H<sub>2</sub>O was undertaken and the corresponding changes in crystal structure investigated.

#### 2. X-RAY MEASUREMENTS ON Cu (NH<sub>4</sub>SO<sub>4</sub>)<sub>2</sub>6H<sub>2</sub>O

X-ray data on single crystls of Cu  $[(NH_4)SO_4]_2$  6H<sub>2</sub>O is lacking, though one of the isomorphous salts  $Mg[(NH_4)SO_4]_26H_2O$  has been studied using trial and error method by Hofmann (1931). By analogy with the latter it follows that  $Cu[(NH_4)SO_4]_2$  6H<sub>2</sub>O is also monoclinic having 2 molecules in the unit cell and belongs to

the space-group  $P2_1/a$ . We have determined the dimensions of the unit cell from rotation photographs about the three crystallographic axes. They are

a = 9.27 Å b = 12.50 Å c = 6.33 Å  $\beta = 106^{\circ}5'$ .

The monoclinic angle  $\beta$  is found from the zero layer-line of the rotation photograph about b-axis.

A powder diffraction pattern has also been taken at room-temperature and the spacings indexed with the help of the above values of cell dimensions.

TABLE I

$\mathrm{d}\mathbf{\mathring{A}}$	Intensity	$1/d^2$ observed	$1/d^2$ calculated	Indices
7.193	VW .	0.0193	0.0190	110
6.105	. ms	0.0268	0.0270	001
5.456	ms.	0.0336	0.0334	011
5.129	w	0.0380	0.0384	120
4.418	w	0.0502	9.0504	200
4.188	vs ·	0.0570	0.0568	210
3.759	vs	0.0708	0.0702	130
3.620	W	0.0763	0.0758	220
3.386	ms ·	0.0872	0.0870	131
3.061		0.1067	0.1066	112
2.486	s .	0.1235	0.1239	212
2.715	w .	0.1357	0.1353	321
2.556	m	0.1531	0.1528	240
2.441	s	0.1678	0.1673	331
2.229	ms	0.2013	0.2017	400
2.176	w	0.2112	0.2104	042)
	·		0.2104	250]
2.144	W	0.2175	0.2170	251
2.097	ms	0.2274	0.2273	420
2.031	w	0.2424	0.2431	. 003
1.963	W	0.2595	0.2593	430
1.922	ms	0.2707	0.2712	$31\overline{3}$
1.858	W	0.2897	0.2897	233
1.816	. W:	. 0.3032	$0.2893 \\ 0.3040$	312 $440$
1.768		0.3200	0.3206	510
1.736	w	0.3318	0.3312	351
1.701	W	0.3456	0.3454	043



Fig. 1. Debye-Scherrer patterns

- (a) Copper ammonium sulphate hexahydrate Cu [ (NH4 ) SO<sub>4</sub> ] 2 6H<sub>2</sub>0
- (b) Copper ammonium sulphate dihydrate Cu [ (NH4 ) SO4 ]2 2H20



The conditions of reflection satisfied are:

h k l: no condition

 $h \circ l : h = 2n.$ 

There is no powder-line with  $0k\theta$  reflection. But rotation photographs show that for  $0k\theta$ , k=2n spots are present. Hence the space-group is P  $2_1/a$  which supports the earlier assumptions.

#### STUDIES ON THE DEHYDRATION PRODUCT

Next powdered sample of  $\mathrm{Ca}[(\mathrm{NH_4})\mathrm{SO_4}]_26\mathrm{H_2O}$  of weighed quantity is heated automatically controlled thermostatic oven and the loss of weight at different temperatures is determined. At 338°K it shows an abrupt loss of weight which corresponds to 4 molecules of water. When the temperature is brought down the sample soon regains its original weight. It indicates that  $\mathrm{Cu}[(\mathrm{NH_4})\mathrm{SO_4}]_26\mathrm{H_2O}$  undergoes a reversible transformation to a dihydrate at 65°C. This is also evident from the X-ray powder pictures.

It is interesting to study the structure of the dehydrated product. Since the dehydrated powder absorbs moisture rather quickly, instead of packing the dehydrated powder in capillary tubes in the usual way, the capillary tube is first packed with finely powdered  $\mathrm{Cu}[(\mathrm{NH_4})\mathrm{SO_4}]_26\mathrm{H_2O}$ , now the fine tube packed and open at both ends is heated in the oven at a constant temperature somewhat above  $65^{\circ}\mathrm{C}$  for 24 hours when it attains constant weight.

The capillary tube is now quickly sealed at both ends so that the treated sample does not come in contact with moisture from the atmsophere. The sample is mounted in a camera of 57.3 mm radius and X-ray powder photograph is taken with CuKa radiation from a Raymax 60 Diffraction unit running at 50KV and 10 mA. The powder pattern thus obtained is entirely different from that for Cu[(NH<sub>4</sub>)SO<sub>4</sub>]<sub>2</sub>6H<sub>2</sub>O. Besides, the spacings measured for the powderline has no spacing common with the known spacings of either of (NH<sub>4</sub>)SO<sub>4</sub> or CuSO<sub>4</sub> (anhydrous) or CuSO<sub>4</sub>H<sub>2</sub>O. This shows that the dehydrated product is a new double salt having a unique crystal structure. If the dehydrated powder is cooled to room-temperature in contact with atmosphere and photograph taken, the original powder pattern of Cu[(NH<sub>4</sub>)SO<sub>4</sub>]<sub>2</sub>6H<sub>2</sub>O is obtained. The powder photograph is the only source of information regarding the structure of the new compound since, in spite of many attempts the substance could not be obtained as single crystals from aqueous medium. Hence attempt has been made to index the powder-photograph taking the substance to have the molecular formula Cu[(NH<sub>4</sub>)SO<sub>4</sub>]<sub>2</sub>2H<sub>2</sub>O.

First attempts were made to index the powder lines in terms of cubic, tetragonal and hexagonal system. Since the data do not fit with either of these systems Lipson's method (Lipson, 1949) was applied to find if the crystal belongs to the

orthorhombic system. For orthorhombic system,  $\sin^2\theta$  values obtained from each pair of Debye-Scherrer ring can be written as

$$\begin{split} \sin^2\theta_{hkl} &= \frac{\lambda^2}{4a^2} \; h^2 + \frac{\lambda^2}{4b^2} \; k^2 + \; \frac{\lambda^2}{4c^2} \; l^2 \\ &= Ah^2 + Bk^2 + Cl^2 \quad \text{where} \quad A = \; \frac{\lambda^2}{4a^2} \quad B = \frac{\lambda^2}{4b^2} \quad C = \frac{\lambda^2}{4c^2} \end{split}$$

TABLE II

dÅ	Intensity	$\sin^2 \theta$ observed	$\sin^2 \theta$ calculated	Indices
12.199	w'	0.0039	0.0038	010
8.023	8	0.0092	0.0090	011
6.193	. S	0.0155	0.0152	020
5.771	w	0.0178	0.0179	120
5.345	8 .	0.0209	0.0208	002
4.551	. W	0.0287	0.0282	310
4.331	VS	0.0317	0.0312	221
4.312	vs	0.0319	0.0316	202
3.952	ms	0.0381	0.0387	122
3.785	ms	0.0415	0.0421	131
3.642	W <sup>s</sup>	0.0448	0.0447	321
3.508	· w	0.0483	0.0484	401
0.000			0.0488	312
3.364	. VW:-	0.0525	0.0522	411
3.268	· vs	0.0557	0.0550	032
3.226	vs.	0.0571	0.0577	. 132
3.150	· · m	0.0599	0.0603	311
3.064	vs	0.0631	0.0635	140
3.033	vs	0.0646	0.0640	402
			0.0647	132
2.960	W	0.0679	0.0678	412
2.885		0.0714	0.0713	510
2.447	****	0.0788	0.0792	422
2.441	ms	0.0788	$0.0792 \\ 0.0793$	332
2.657	***	0.0842		332 142
	ms		0.0843	
2.514	W	0.0904	0.0898	114
2.495	W <sub>.</sub>	0.0955	0.0950	050
2.450	S	0.0990	0.0984	024
2.298	w	0.1126	0.1124	610
2.139	· 8	0.1299	0.1302	414
2.081	8	0.1373	0.1368	060
			0.1365	115
1.983		0.1511	0.1508	443
1.922		0.1609	0.1611	360
1.762	. ms	0.1915	0.1010	016
1.730	${f ms}$	0.1986	0.1983	741
1.521	'W'	0.2571	0.2575	107
1.497	W <sup>*</sup>	0.2653	0.2661	715

The values of  $\sin^2 \theta_{hkl}$  known as q-values observed from the pattern are listed in Table II. With the above values of  $\sin^2 \theta$ , the difference diagram is drawn according to Lipson's method. The diagram shows frequently-occurring values

from which the values of the constants A, B, C are determined in the following way.

If we choose the first three values of  $\Delta q$  from the Lipson's chart i.e., 0.0028, 0.0038, 0.0052, we find that (1) the 4 fold and 9 fold multiples of A i.e., .0110, .0250 are present.(2) the 4 fold, 9 fold, 16 fold multiples of B i.e., 0.0152, 0.0340, 0.061 are frequently occurring, (3) the 9 fold, 16 fold and 25 fold multiples of C i.e., 0.046, 0.083 and 0.1300 are also present in the chart.

There are no other value of  $\Delta q$  in the Lipson's chart which has so many multiples present. So these are the most probable values of constants A,B,C. With these values of A,B,C all the values of  $\sin^2\!\theta_{hkl}$  in Table II can be successfully indexed. For better adjustment A is taken as 0.0027 and the agreement between the observed and calculated values is highly satisfactory, the discrepency lying within experimental errors. So it is concluded that the crystal belongs to the orhorhombic system, with the dimensions of the unit cell as calculated from A,B,C

a = 14.84 Å b = 12.52 Å c = 10.69 Å.

Measurement of the density of the dihydrate is very difficult since it always tends to be converted into the hexahydrate when exposed to atmosphere. The hexahydrate powder is taken in a specially designed pyknometer and treated in the furnace at 70°C for about 24 hours so that the dihydrate is obtained. The pyknometer is cooled in a dessicator and weighed. Since the substance is highly soluble in water its density is measured with respect to paraffin oil of known density. Repeated measurements show that the density of the dihydrate is 2.04 gm/c.c.

With this value of density and the dimensions of the unit cell given above, the number of molecules per unit comes out as 7.50≈8. The agreement is satisfactory in view of the fact that due to the extreme instability of the dihydrate, at room temperature, sufficient accuracy cannot be obtained in the determination of the density. This integral value also supports the choice of the unit cell of the crystal.

The conditions limiting possible reflections indicated by Table II are

hko: no condition okl: no condition hol: h+l=2n hko: no condition hoo: h=2n. oko: no condition ool: l=2n.

The conditions agree with both the space groups  $P_{mn}2_2$  and  $P_{mnm}$ . Since the substance has not yet been obtained in the single crystal form it is not possible to ascertain the space-group uniquely from single crystal photograph.

#### 4. DISCUSSIONS

It is interesting to note that the orientation of the crystalline principal magnetic axes in the (010) plane of the crystal of Cu[(NH<sub>4</sub>SO<sub>4</sub>)]<sub>2</sub>6H<sub>2</sub>O changes by about 19° in the range 90°K to 338°K slowly at first and then rapidly as the transition temperature of 338°K is approached. Correspondingly the relative orientation between the approximate tetragonal axes of the two equivalent Cu<sup>2+</sup>6H<sub>2</sub>O octahedra equally inclined to the b-axis of the unit cell, change by about 10° (Bose et al, 1957). This indicates that even before the transition temperature is reached a rapid rearrangement of the constituents of the unit cell is taking place, owing to increased thermal motions, tending to make the four water molecules of coordination redundant for the stable equilibrium of the lattice at the transtion point, which becomes apparent by the fact that as soon as this temperature is reached these water molecules are thrown out of the lattice and the constituents of the unit cell assume the new symmetry of the orthorhmbic class for the dihydrate. The manner of reorientation by rotation of the Cu<sup>2+</sup>6H<sub>2</sub>O groups about the b-axis previous to transition and the X-ray finding that the b-axial lengths of the hexahydrate and dihydrate are equal seem to indicate that there is a correspondance between the b-axes of the monoclinic and the orthorhombic varieties. Also the transition from monoclinism to orthorhombicity is attained at the transition temperature by a continuous approach of the a and c axes of the monoclinic cell towards orthogonality.

More X-ray data on the structure of the salt before and after transition would verify the predictions and attempts are being made to obtain these.

#### ACKNOWLEDGMENT

The author expresses her sincere thanks to Prof. A. Bose, D.Sc., F.N.I. for his kind interest and constant guidance and to Mr S. Ray, M.Sc. for many helpful discussions during the progress of the work.

#### REFERENCES

Bose A., Mitra S. C. and Dutta S. K., 1957, Proc. Roy. Soc. A 239, 165.
Bose A., Mitra S. C. and Dutta S. K. 1958. Proc. Roy. Soc. A 248, 153.
Hofmann, W. 1931. Zeits. f. Krist. 78, 279.
Lipson, H., 1949., Acta. Cryst., 2, 43.

### THE CRYSTALLITE ORIENTATION IN MESTA FIBRE

#### SUBHRENDU KAR\* AND R. K. BASU

TECHNOLOGICAL RESEARCH LABORATORIES, INDIAN CENTRAL JUTE COMMITTEE, REGENT PARK, CALCUTTA.

(Received January 20, 1961)

ABSTRACT. The orientations of crystallites in mesta fibres raw, delignified and treated with different concentrations of caustic soda have been studied. The Hermans' orientation factor, the average angle of orientation and angle for 40% intensity for five samples have been determined from intensity distribution curves of the equatorial arcs in the X-ray diffraction photographs. It has been observed that for mesta, the average angle of orientation varies from 11° to 14° and Hermans' orientation factor varies from 0.91 to 0.94.

#### INTRODUCTION

Mesta, a substitute fibre for jute, has its crystalline structure similar to that of jute. It has been established that in jute fibres, the crystallites have their 'b' axis nearly parallel to the fibre axis making a small angle. The other axes of the crystallites are randomly oriented. The average angle of orientation is generally measured from the distribution of intensity along the arcs into which the diffraction spots are drawn. These have been measured for cotton, jute, ramie etc. The relation between orientation and physical properties for cotton has been studied by many workers. Sen and Wood (1949) studied the orientations for jute and ramie. They compared Hermans' orientation factor and half maximum intensity angle for jute and ramie. They also observed a difference in orientation factors for different varieties of jute.

The present work was undertaken in order to study the orientation factor for mesta fibre and compare it with established values of cotton, jute and ramie, and also to investigate the variation in orientations in the raw and delignified fibres and fibres treated with different strengths of caustic soda. The Hermans' orientation factor, the average orientation angle and angle for 40% intensities were determined.

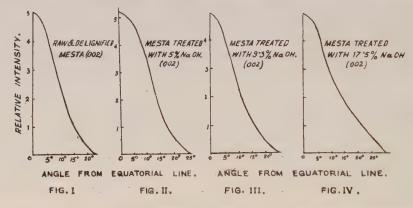
#### PROCEDURE

Samples of alkali treated fibres were prepared by treating raw mesta fibre with different strengths of NaOH solution. Delignified samples were prepared in the usual way by the 'Textone' process. X-ray diffraction photographs were taken for all samples with  $C_nK_a$  radiation (nickel filtered) from a Hadding type

<sup>\*</sup>Now at Defence Metallurgical Research Laboratory, Ishapore, West Bengal.

X-ray tube. The camera used was a flat casette plate camera. Photographs of moderate intensity suitable for microphotometer work were taken.

Following Hermans et al. (1939) a series of microphotometer curves of (002) and composite (101) and ( $10\overline{1}$ ) interferences were recorded starting from the equatorial lines of the diffraction photographs and proceeding in radial lines at angular intervals of 2°30′. Densities of the photometer curves were converted into intensities from a density—log intensity curve, drawn experimentally by comparison with the curve of a standard calibration strip having intensities at various points proportional to the distance from zero intensity point. From these, curves were drawn for intensities against angular distances with equatorial lines for the (002)



reflections. The curves are shown in Figs. I-IV. These intensity distribution curves represent the statistical distribution of the paratropic planes of the crystallites of the fibres. Intensity may be designated by  $I = F(\alpha)$  where  $\alpha$  is the angular distance from the equator. According to Hermans the average angle of orientation  $\alpha_m$  is given by

$$\begin{split} \overline{\sin^2 \alpha_m} &= \overline{\sin^2 \alpha}_1 + \overline{\sin^2 \alpha}_2 \\ \overline{\sin^2 \alpha_1} &= \frac{\int_0^{\pi/2} F(\alpha_1) \sin^2 \alpha_1 \cos \alpha_1}{\int_0^{\pi/2} I \cos \alpha_1 d\alpha_1} \\ \\ \overline{\sin^2 \alpha_2} &= \frac{\int_0^{\pi/2} F(\alpha_2) \sin^2 \alpha_2 \cos \alpha_2}{\int_0^{\pi/2} I \cos \alpha_2 d\alpha_2} \end{split}$$

and

and the Hermans' orientation factor

$$f_{x}=1-\frac{3}{2}\sin^{2}\alpha_{m}$$

In the case of raw fibres, it has been found that  $F(\alpha_1) = F(\alpha_2)$ ; hence only  $F(\alpha)$  for (002) is shown in the curves. (Only for the case of fibres treated with

17.5% NaOH both the (002) and (101) (Fig. 5) reflections were taken into consideration for calculating  $\alpha_m$  and  $f_x$ ). Empirical intensity curves were drawn

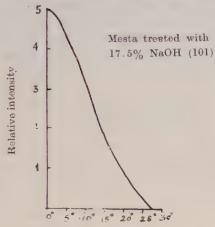


Fig. V. Angle from equatorial line.

by plotting the values of  $I\sin^2\alpha\cos\alpha$  and  $I\cos\alpha$  against angular distances and the usual method of graphical integration of both curves were done. The ratio of integrals were then found out. From these,  $\sin^2\alpha_m$  were determined and from them  $\alpha_m$  and  $f_x$  were evaluated. Values of angles at 40% intensity were also determined from the intensity distribution curves.

#### RESULTS AND DISCUSSION

In Table I are given the values of  $f_x$ ,  $\alpha_m$  and angle at 40% intensity in the intensity distribution curves for (002) reflections. The results obtained show that the average angle of orientation  $\alpha_m$  and  $f_x$  do not change substantially till

TABLE I
Showing the average angle of orientation, 40% intensity angle and Hermans' orientation factor

Sample	Average angle of orientation	40% intensity angle	Hermans' orientation factor
Raw mesta	11.6°	11.0°	0.940
Delignified mesta	11.6°	11.0°	0.940
Raw mesta treated with 5% NaOH	10.5°	10.8°	0.950
Raw mesta treated with 9.3% NaOH	12°	11.0°	0.935
Raw mesta treated with 17.5% NaOH	14.86° (002) 14.14° (101)	15.0° (002) 14.0° (101)	$\begin{bmatrix} 0.900 \\ 0.910 \end{bmatrix} \ 0.905$

treatment with 9.3% NaOH, but for samples treated with 17.5% NaOH, the values obtained differ considerably from the former ones.

The average angle of orientation  $\alpha_m$  and orientation factor  $f_x$  for raw mesta are found to be  $\alpha_m = 11.60$  and  $f_x = 0.94$ , whereas the average angle for jute fibres varies from 8° to 9° approximately and  $f_x$  varies from 0.96 to 0.97 as determined by Sen and Chowdhury (1957). In the case of ramie these are given by 7°36° and 0.973 (Hermans).

#### ACKNOWLEDGMENTS

The authors are deeply grateful to Dr. R. K. Sen for his generous advice and helpful suggestions during the progress of this work and for his constant encouragement. They are also indebted to Dr. P. B. Sarkar. Director of the Institute for his keen interest in the work.

#### REFERENCES

Hermans, P. H., Kratky, O., and Platzsk, P., 1939, Kolloid Zeit., \$6, 245.
Hermans, P. H., 1946, "Contribution to the Physics of Cellulose Fibres", Amsterdam.
Sen, M. K. and Woods, H. J., 1949, Proc. Leeds Phil. Soc., 5 (II.) 155.

Sen, R. K. and Choudhury, S. K., 1957, Textile Research Journal 27, 193.

# THE DIELECTRIC PROPERTIES OF ROSIN-MALEIC ANHYDRIDE RESIN

#### A. K. SEN AND G. N. BHATTACHARYA

DEPARTMENT OF APPLIED PHYSICS,
CALCUTTA UNIVERSITY.
(Received May 19, 1961)

ABSTRACT. The dielectric properties of rosin-maleic anhydride resin have been measured over the temperature range of 25°C to 170°C and the frequency range of 1 Kc/s to 500 Kc/s. Within this range of temperature and frequency it behaves as a polar resin in the attention of the department of temperature curve shows however a peculiar behaviour at high temperatures. At about 150°C dielectric constant values attain a maximum after gradually rising with temperature in the normal way of polar resins. But above this temperature a sudden and steep rise in the permittivity is observed. An attempt has been made to explain the permittivity of the basis of its estimated rotor dimension and infrared absorption spectrogram.

#### INTRODUCTION

Rosin plays an important part in the production of several semi-synthetic resins. It is widely used as a modifier in the production of so-called modified synthetic resins, such as rosin modified phenol formaldehyde resins or alkyds. Another type of synthetic resin derived from rosin is the rosin-malcic anhydride adduct formed by the method of Diels-Alder reaction known as the "diene synthesis". This method of synthesis involves a "diene" system i.e. a system having conjugated double bonds reacting with a component having an ethylenic linkage flanked by carbonyl or carboxyl groups in such a manner that the "diene" system opens up and the terminal carbons become affixed at the double bond of the ethylenic linkage.

The chemical structure of rosin or abietic acid shows that it possesses a conjugated system of double bonds and consequently it reacts with maleic anhydride giving an addition compound. In fact, this diene synthesis confirms the presence of the conjugated double bonds in the structure of the abietic acid molecule. It should be noted that this compound is the partial anhydride of a tribasic acid and hence its acid value must be reduced and this is usually done by esterification with any polyhydric alcohol like glycerol, mannitol, pentaery-thritol etc.

Now X-ray studies on the rosin maleic-anhydride resins and ester gum by Beal and co-workers (1932) have revealed that they show precisely the same

rings which are associated with raw rosin. Esterification with glycerol or reacting it with maleic anhydride does not change its inherent character.

Because of the large size of the esterified rosin-maleic anhydride molecule, its rotation as a whole, when placed in the rapidly alternating electric field, is unlikely. Obviously, if dielectric loss occurs due to orientation it may only be due to contributions from side groups attached to the main molecule. Although rosin has been found to be present in this resin as a constituent unit, its freedom of rotation has been severely restricted by a pair of carbon-carbon bonds with the maleic anhydride on the one hand and by its linkage with the pentaerythritol molecule through the esterification of its carboxyl group on the other.

From a previous study of the dielectric properties of rosin it has been observed by the authors (Sen and Bhattacharya, 1958b) as well as by Kitchin and Muller (1928) that the dimension of its rotating unit is about 4.6 Å which is in close agreement with the actual dimension of the abietic acid molecule calculated on the basis of its accepted chemical structure. This agreement led the authors to the obvious conclusion that the rotation of the entire abietic acid molecule was responsible for its dielectric behaviour. But a similar study in the ease of ester gum (Sen and Bhattacharya, 1958a) or copal ester (Sen and Bhattacharya, 1960) revealed a different story. In both the cases the dimensions obtained for the rotating units were exactly the same as that of a hydroxyl group. The presence of hydroxyl groups in these resins was also confirmed from their infra-red absorption spectrograms. These evidences tend to suggest that instead of the whole molecule the hydroxyl groups in these resins are probably the rotating units. Hence it is inferred that when molecules of abietic acid (rosin) or copalic acid (copal) combine (e.g., by esterification with glycerol) to form larger molecules, their rotation as a whole is restricted and only the rotation of smaller groups can occur in the investigated range of frequency. In this context it is therefore of interest to study the dielectric properties of rosin-maleic anhydride adduct in relation to those of rosin and obtain the dimension of its rotating units.

#### EXPERIMENTAL

The same experimental procedure as was followed in the case of other resins and the details of which appeared elsewhere (Sen and Bhattacharya, 1958a, 1958b) has been employed. The sample used in this investigation was a pentaerythritol ester of the rosin-maleic anhydride adduct manufactured by the Imperial Chemical Industries Ltd., London, and sold under the trade name of Bedesol—74.

The results of measurements of dielectric constant  $\epsilon'$ , dielectric loss  $\epsilon''$  and power factor  $\tan \delta$  at different temperatures and frequencies are shown graphically in Figs. 1, 2 and 3. Quite contrary to our expectation, these graphs give clear evidence of the typical polar nature of this resin. The loss factor-temperature and the power factor-temperature curves shown in Figs. 2 and 3, are the usual absorption curves of a polar meterial. These curves begin to rise at a compara-

tively higher temperature viz, about  $100\,^{\circ}\mathrm{C}$  for almost all the frequencies except that of 1 Ke/s. The loss peaks are also more or less of the same heights.

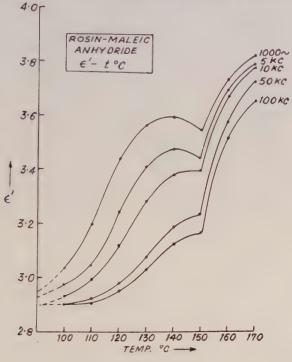


Fig. 1

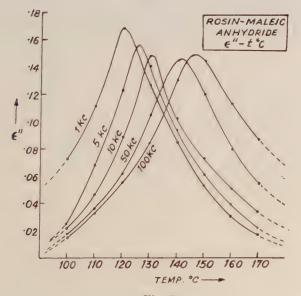


Fig. 2

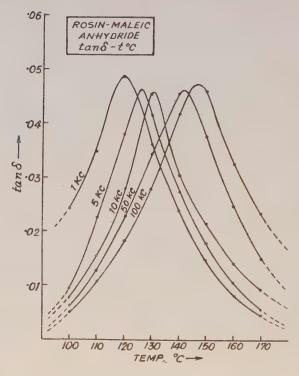


Fig. 3

But the dielectric constant-temperature graphs show a peculiar behaviour. It may be noticed from Fig. I that the permittivity for all the frequencies begins to rise from about 100°C in the usual way and attains a maximum at temperatures between 130°C to 150°C. But peculiarly enough, after 150°C it is found to make

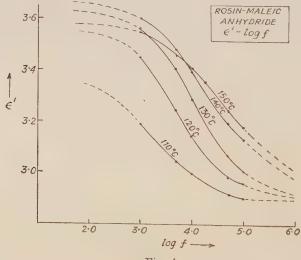
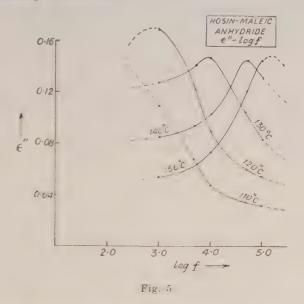


Fig. 4

a sudden and steep rise again. Measurements were carried out up to 170°C only as it was apprehended that the resin might polymerize after that temperature. This peculiar behaviour can only be explained on the supposition that at temperatures higher than 150°C the resin becomes unstable and more and more dipoles are somehow set free which now increase the orientation polarization and make the permittivity to rise. Hence an estimation of the size of the rotating unit is considered interesting in this case.



The radius of the rotating unit was estimated from the calculated relaxation time at the temperature of loss maximum corresponding to a particular frequency and the melt viscosity at that temperature. The melt viscosity of this resin at

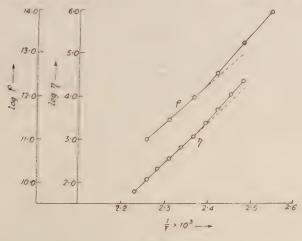


Fig. 6

different temperatures was measured by the same method as reported earlier (Sen and Bhattacharya, 1957) and the results are shown in Table I. Fig. 6 shows the logarithm of viscosity plotted against the reciprocal of absolute temperature and the graph is a straight line. For the sake of comparison the logarithm of resistivity is also plotted against the reciprocal of absolute temperature using the same scale. The conductivity and resistivity data appear in Table II. Once again the slopes of both these graphs are found to be the same. Upto the temperature of 170°C, however, none of these graphs shows any abnormality to indicate any likely polymerization within this temperature region.

 $\begin{array}{c} \text{TABLE I} \\ \text{Viscosity-temperature data} \end{array}$ 

Tempe	rature	$-\frac{1}{\mathrm{T}} \times 10^{3}$	Viscosity	log η
t°C	T°K	$\frac{1}{T}$ × 10°	$\eta$ in poise	
130	403	2.481	22,970	4.3612
135	408	2.451	11,000	4.0414
140	413	2.421	4,900	<b>3 6</b> 902
145	418	2.392	2,340	3.3692
150	423	2.364	1,200	3.0792
155	<b>4</b> 28	2.336	635	2.8028
160	433	2.309	355	2.5502
165	438	2.283	210	2.3222
170	443	2.257	120	2.0792
175	448	2.232	60	1.7782

TABLE II

D.C. conductivity or resistivity-temperature data

Tempe	rature	$-\frac{1}{T} \times 10^3$	Conductivity	Resistivity	log ρ
t°C	$T^{\circ}K$	$\widetilde{\mathrm{T}}$ × 10°	in mho cm <sup>-1</sup> .	ρ in ohm cm.	
120	393	2.545	$0.1042 \times 10^{-13}$	9.596 × 10 <sup>13</sup>	13.9821
130	403	2.481	$0.5970 \times 10^{-13}$	$1.675 \times 10^{13}$	13.2240
140	413	2.421	$0.2935 \times 10^{-12}$	$3.407 \times 10^{12}$	12.5324
150	423	2.364	$0.1067 \times 10^{-11}$	$9.369 \times 10^{11}$	11.9717
160	433	2.309	$0.3339 \times 10^{-11}$	$2.894 \times 10^{11}$	11.4614
170	443	2.257	$0.1036 \times 10^{-10}$	$9.654 \times 10^{10}$	10.9847

The results of calculation of the radius of the rotating units are shown in Table III.

TABLE III
Calculated relaxation time and radius of the rotator

Frequency in kc/s	Loss maximum temperature $t_m$ in °C	Relaxation time $\tau$ in sec.	$\log \eta$ at $t_m$	Radius of the rotator in Å
5	126	$2.80 \times 10^{-5}$	4.60 (extra- polated)	1.45
10	131	$1.39 \times 10^{-5}$	4.30	1.45
50	142	$2.76 \times 10^{-6}$	3.60	1.46
100	147	$1.39 \times 10^{-6}$	3.27	1.51

From these results we find again that the same value of the dimension of the hydroxyl group is obtained here for the radius of the rotator in this resin. We should examine therefore if there is any possibility for this resin of containing hydroxyl groups as probable rotating units. As in the production of this resin pentaerythritol is employed it is not unlikely for some of the four hydroxyl groups of the pentoerythritol molecule to remain unesterified in the same way as some hydroxyl groups of glycerol were found to remain unesterified in ester gum (Sen and Bhattacharya, 1958a) and copal ester (Sen and Bhattacharya, 1960). Moreover this possibility may also provide an explanation for the observed phenomenon of abnormal rise in permittivity above 150°C. For some of these hydroxyl groups may form hydrogen bonds amongst themselves at ordinary temperatures and these may be disturbed only at temperatures above 150°C. Consequently

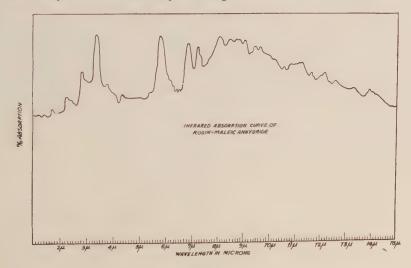


Fig. 7

upto 150°C only the free hydroxyl groups can contribute towards polarisation there being no contribution from the bonded hydroxyl groups. But at temperatures above 150°C these hydrogen bonds may break and the released hydroxyl groups may contribute further towards polarization thereby increasing the dielectric constant. Or, in the alternative there may be condensation-polymerisation above 150°C and the released water vapour may contribute towards increased dielectric constant.

The infrared absorption spectra of this resin was obtained in the manner indicated previously (Sen and Bhattacharya, 1960) and the spectrogram shown in Fig. 7. In this figure no absorption peak occurs at the wave length region of  $2.93\mu$  corresponding to the bonded hydroxyl group but the peak due to the free hydroxyl group occurs at about  $2.78\mu$ . The second explanation for increased values of dielectric constant above  $150^{\circ}\text{C}$  seems therefore reasonable. The free hydroxyl groups may be the unesterified hydroxyl groups of the pentaerythritol molecule as stated earlier. As chances of rotation of the entire resin molecule are remote, only side groups attached to the main molecule or segments of it are capable of orientation. Therefore hydroxyl groups attached to the molecule seem to be the probable rotating units.

#### REFERENCES

Beal, Anderson and Long, 1932, Ind. Eng. Chem., 24, 1068.

Kitchin, D. W. and Muller, H., 1928, Phfs. Rex., 32, 979.

Sen, A. K. and Bhattacharya, G. N., 1957, 7. Assoc. App. Physicists, 4, 72.

Sen, A. K. and G. N., 1958a, Ind. J. Phys., 32, 49.

Sen, A. K. and Bhattacharya, G. N., 1958b, Ind. J. Phys., 32, 49.

Sen, A. K. and Bhattacharya, G. N., 1960, Ind. J. Phys., 34, 461.

## VIBRATIONAL SPECTRA OF THIOGLYCOLLIC ACID

### P. G. PURANIK, K. VENKATA RAMIAH AND VIJAY KUMAR

Department of Physics, University College of Science Osmania University, Hyderabad 7

(Received May 30, 1961)

ABSTRACT. The infrared and Raman spectra of thioglycollic acid and its solutions in different solvents have been recorded and the assignments of some of the frequencies have been proposed.

#### INTRODUCTION

The Raman spectrum of thioglyclollic acid has been earlier reported by Thatte and Ganesan (1933), but these authors have not recorded any line in the region of  $2500~\rm cm^{-1}$  corresponding to S-H stretching vibrations. Hibben (1936) while discussing the Raman spectra of thioacids, interpreted the absence of a line in the region of  $2500~\rm cm^{-1}$  in these compounds, as due to the absence of S-H group. There appears to be no mention in literature regarding the studies of infrared spectrum of thioglycollic acid. The authors have studied the infrared and Raman spectra of the acid and in various solvents in order (a) to assign the various vibrational frequencies of the monomer and associated molecules and (b) to study the effects of the solvents on the frequencies of the O-H, S-H and C = O stretching absorption bands.

#### EXPERIMENTAL

A Perkin-Elmer Model 21 Infrared Spectrophotometer with NaCl optics was used to obtain the infrared spectra. The infrared spectrum of the pure liquid was obtained by pressing a drop of the liquid between two NaCl plates, along with an NaCl plate of equivalent thickness inserted into the reference beam. The spectra in solutions were obtained with a pair of matching cells of 0.1 and 1 mm thickness.

The Raman spectra were obtained by using a Fuess glsss spectrograph having a dispersion of  $19~\rm cm^{-1}$  in the  $\lambda4358$  region along with a Hilger Raman source unit.  $\lambda4358$  was the exciting radiation.

Thioglycollic acid (E. Merck) was distilled under reduced pressure and the fraction collected at  $123^{\circ}\text{C}$  and 29~mm pressure was used for the investigation. The fact that this acid forms an aqueous mixture of constant boiling point has been noted and absolutely anhydrous acid was used in the investigations.

#### RESULTS

The Raman and infrared frequencies of thioglycollic acid as recorded by the authors are given in Table I. The Raman spectrum reported by Thatte and Ganesan is given for comparison. The microphotometric trace of the Ramna spectrum is given in Fig. 1. The infrared spectrum of thioglycollic acid has broad absorption band in the  $3\mu$  region, but this band could be resolved into three peaks in solutions of chloroform and carbon tetrachloride. The Raman spectrum of thioglycollic acid has a sharp and intense line in the region of  $2500~{\rm cm}^{-1}$  while the corresponding infrared band is weak. The authors could record a number of Raman lines which have not been reported earlier (Thatte and Ganesan, 1933).

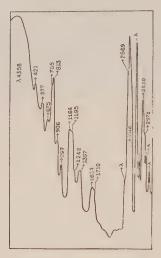


Fig. 1. Microphotometric trace of the Raman spectrum of thioglycollic acid.

#### DISCUSSION

#### Assignments:

The infrared spectrum of thioglycollic acid has a broad absorption band extending from 3125 cm<sup>-1</sup> to 2900 cm<sup>-1</sup>, but in solutions of chloroform it could be resolved into three distinct peaks at 3495, 3125 and 2900 cm<sup>-1</sup>. With increasing dilution, the intensity of the band at 3125 cm<sup>-1</sup> becomes less and at 0.02 molar concentrations, this band becomes very feeble while the one at 3495 cm<sup>-1</sup> is prominent. A characteristic feature of carboxylic acids is their dimeric manifestation, with the result that the intermolecular associations break up progressively with increasing dilution of these substances in chloroform or carbon tetrachloride. Therefore the authors assign the band at 3495 cm<sup>-1</sup> to the free O-H stretching vibrations of the monomers and the one at 3125 cm<sup>-1</sup> to the same mode of vibrations of the associated molecules. The Raman line which is assigned

to the bonded O-H stretch, has a banded structure extending from 2926 to 2971 cm<sup>-1</sup>. A sharp intense Raman line appears at 2930 cm<sup>-1</sup> superposed on the hydroxyl band. The band at 2900 cm<sup>-1</sup> in the infrared or the one at 2930 cm<sup>-1</sup> in the Raman spectrum is assigned to C-H stretching vibrations.

The C = O stretching absorption of thioglycollic acid has two peaks at 1717 and 1730 cm<sup>-1</sup>, the former being a weak shoulder. The carbonyl frequency in the Raman spectrum appears as a band at 1654 cm<sup>-1</sup> along with a sharp, faint line at 1710 cm<sup>-1</sup>. These results indicate that the thioglycollic acid is not a completely associated liquid. With increasing dilution of the acid in chloroform, the peak at 1730 cm<sup>-1</sup> becomes more prominent in the infrared spectrum and the band at 1717 cm<sup>-1</sup> becomes a shoulder. At a molar concentration of 0.02 in solution of chloroform, only the band at 1730 cm<sup>-1</sup> could be recorded. Therefore the infrared frequency at 1717 cm<sup>-1</sup> or the Raman line at 1654 cm<sup>-1</sup> is assigned to the C = O stretching of the associated molecules and the frequency at 1730 cm<sup>-1</sup> in the infrared or the one at 1710 cm<sup>-1</sup> in Raman spectrum to the same mode of vibrations of the monomers. The large differences in the infrared and Raman frequencies of the C = O stretch of the thioglycollic acid are in agreement with similar results obtained by Davies and Sutherland (1938) in their investigations of carboxylic acids.

The lines at 1298 and 1397  $\rm cm^{-1}$  in the Raman and the corresponding frequencies at 1286 and 1412  $\rm cm^{-1}$  in the infrared can be assigned to C-O stretch

and C deformation. Such assignments have been made by Hadzi and

Sheppard (1953) in case of carboxylic acids and by Puranik (1955) in case of esters.

The Raman spectrum of thioglycollic acid has a sharp and intense line at  $2569~\mathrm{cm^{-1}}$  and the corresponding frequency in the infrared is a weak absorption at  $2565~\mathrm{cm^{-1}}$ . The authors assign this band to S-H stretching vibrations. The frequency remains unchanged even in dilute solutions of chloroform. This invariance of the frequency indicates that S-H linkage is a free linkage in thioglycollic acid. The intermolecular associations in this compounds, may therefore be concluded, as of O-H.....O = C type.

The S-H in-plane deformation frequency has been identified by Sheppard (1949) with a Raman line at 832 cm<sup>-1</sup> and therefore the Raman line at 813 cm<sup>-1</sup> in the thioglycollic acid may be assigned to this mode of vibration. The C-SH stretch is known to appear in the region of 600-700 cm<sup>-1</sup> as a strong line in The Raman spectrum (Sheppard, 1950) and therefore a fairly intense Raman line at 675 cm<sup>-1</sup> may be assigned to C—SH stretching vibrations.

The 220 cm<sup>-1</sup> in the Raman spectrum corresponds to the symmetrical vibrations of the two acid molecules of the dimer through the stretching of the hydrogen bond.

TABLE I Raman and infrared frequencies of thioglycollic acid  $(in cm^{-1})$ 

Raman		Infrared
Present authors	Thatte and Ganesan	Present authors
220 (0)		
421 (2)	433 (1d)	departer
	511 (1)	
577 (2)	580 (1)	_
675 (3)	686 (0)	
765 (4)	and process	755 (w)
813 (6)	818 (4)	
906 (4)	914 (2)	897 (w)
997 (4)	1004 (0)	990 (vw)
1164 (5)		1149 (m)
1195 (3)	<del></del>	. 1199 (m)
1242 (3)		
1298 (0)	_	1286 (s)
1397 (3)	1409 (2d)	1412 (s)
	1563 (1d)	
1654 (3d)	_	1717 (s)
1710 (1)	1707 (1d)	1730 (sh)
_		2336 (w)
2459 (2)		-
2569 (8)		·2565 (w)
2678 (2)	<u></u> .	2680 (sh)
2930 (9)	2950 (1d)	_
2926 to 2971	_	2930 to 312

TABLE II

O-H, S-H and C=O stretching frequencies of thioglycollic acid in different solvents

Solvents	O-H stretch	S–H stretch	C-O stretch
Liquid	2930 to 3125	2565	1717 1730
Carbon tetrachloride	3510	2575	1718 1731
Chloroform	3500	2565	$\frac{1717}{1730}$
Acetonitrile	3450	2565	1742
Dioxane	3450	2535	1745
Pyridine	3225	2440	1717 (sh 1730
$\alpha$ -picoline		2440	$\frac{1709}{1724}$
β-picoline		2440	1717 1730

## Solvent effect.

The infrared spectrum of thioglycollic acid has been recorded in various solvents and the OH, SH and C=0 stretching frequencies in those solvents are given in Table II and the traces are given in Figs. 2 and 3.

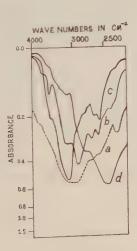


Fig. 2. The O-H, and S-H stretching frequencies in (a) pure liquid (b) chloroform(c) dioxane and (d) pyridine.

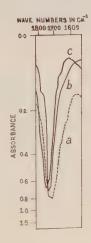


Fig. 3. The C=O stretching frequencies in (a) pure liquid (b) chloroform and (1) dioxane.

The absorption band at 3495 cm<sup>-1</sup> in chloroform or at 3510 cm<sup>-1</sup> in carbon tetrachloride, which is assigned to the O—H stretch of the monomers, does not appear in the donor solvents. Instead it appears at 3450 cm<sup>-1</sup> in dioxane and acetonitrile and at 3225 cm<sup>-1</sup> in solutions of pyridine. At these concentrations the carbonyl frequency is at 1743 cm<sup>-1</sup> in both dioxane and acetonitrile. In pyridine it is at 1730 cm<sup>-1</sup> with a weak shoulder at 1717 cm<sup>-1</sup> Similar results are obtained in solutions of picolines.

The appearance of a single C = O absorption in the donor solvents corresponding to the monomer frequency is an indication that the intermolecula associations have broken up considerably in these solvents. Then the simultaneous reduction in the O-H stretching frequency compared to the monomer frequency in solutions of chloroform or carbon tetrachloride is due to the hydrogen bond formation between the donor groups of the solvent and the O—H group of the monomers of the acid by the OH...N and OH...O bonds. The shift in the O—H stretching frequency is maximum in solutions of pyridine.

The S-H stretching frequency, which has the same value in pure liquid and in dilute solutions of chloroform, decreases to the extent of 125 cm<sup>-1</sup> in solutions of pyridine and picolines and becomes broad. In solutions of dioxane this band shifts only to the extent of only 25 cm<sup>-1</sup>. The large shifts in S-H stretching frequency in solutions of pyridine and picolines, may be concluded as due to the associations by way of S-H...N bonding.

## ACKNOWLEDGMENT

One of the authors (V. K.) expresses his sincere thanks to C.S.I.R. Government of India for the award of a Fellowship.

#### REFERENCES

Davies, M. M., and Sutherland, G. B. B, M., 1938, J. Chem. Phys. 6, 755.
Hibben. J. H., 1936, Chem. Rev. 18, 92.
Hadzi, D and Sheppard, N, 1953, Proc. Roy. Soc. 216A, 247.
Puranik, P. G., 1955, Proc. Ind. Acad. Sci. 42, 326.
Sheppard, N., 1949, Trans. Farad. Soc., 45, 693.
Sheppard, N, 1950, Trans. Farrad. Soc., 46, 429.

Thatte V.N. and Ganesan, A.S., 1933, Phil. Mag. 15, 51.

# STUDIES ON BINARY DIFFUSION OF THE GAS PAIRS N<sub>2</sub>-A, N<sub>2</sub>-Xe AND N<sub>3</sub>-He

#### R. PAUL AND I. B. SRIVASTAVA

Indian Association for the Cultivation of Science, Calcutta-32

(Received June 22, 1961)

ABSTRACT. The mutual diffusion coefficient of  $N_2$ -He,  $N_2$ -Xe and  $N_2$ -A gas pairs over the temperature interval  $-30^{\circ}\mathrm{C}$  to  $60^{\circ}\mathrm{C}$  has been determined by allowing the diffusion to take place between two bulbs through a precision capillary tube. Samples of the gas, withdrawn from one of the bulbs at different times, were analysed by using a previously calibrated thermal conductivity analyser. These experimental data have been utilised for calculating the unlike potential parameters on the Lennard-Jones 12:6 mcdel. The parameters have been used to calculate  $D_{12}$  and are found to reproduce the experimental data satisfactorily. Further, the thermal conductivity of the mixtures is calculated using only the experimental values of  $D_{12}$  and other transport properties of pure gases and reasonable agreement with the experimental data is obtained.

#### INTRODUCTION

The coefficient of mutual diffusion,  $D_{12}$  is the most suitable transport property for studying unlike molecular interactions, because, to the first approximation, it depends only on the force field of the unlike molecules. But the experimental data suitable for inter-molecular force determination are scanty, specially for the poly-atomic molecules. Therefore, mutual diffusion data for various pairs of gases are most desirable. With this end in view a series of accurate diffusion coefficient measurements of different gaseous mixtures have been done in this laboratory over a fairly wide range of temperature. Several workers (Srivastava and Srivastava, 1959a. Srivastava, 1959, Srivastava and Barua, 1959) have measured the binary diffusion of inert gases in the temperature range 0°C-45°C by using the two-bulb diffusion method and have used their data to determine the unlike interaction parameters on the Lennard-Jones (12:6) model. The same technique was further used by Paul and Srivastava (1961a, 1961b) for measuring D<sub>12</sub> of binary mixtures containing a diatomic gas, in the temperature range  $-30^{\circ}$ C to  $60^{\circ}$ C. In the present work, the mutual diffusion coefficients of  $N_2$ with He, A and Xe have been measured in the above temperature range and the experimental data are used for determining the force constants for unlike interaction on the Lennard-Jones (12:6) model.

#### APPARATUS AND THEORY

The two-bulb technique of Ney and Armistead (1947) was employed for measuring the diffusion coefficients. The details of the apparatus, experimental

procedure and the theory have been discussed fully by Paul and Srivastava (1961a).

## EXPERIMENTAL RESULTS

The gases used were supplied by British Oxygen Company, England and were quoted to be spectroscopically pure, except xenon which contained about 1% krypton.

Constants of the diffusion apparatus:

Volume of bulb I 325 cc.

Volume of bulb II 547 cc.

Length of the diffusion capillary 9.058 cm.

Diameter of the diffusion

capillary 0.316 cm.

 $\overset{\circ}{C_1} = 0.373,$ 

 $C_1$  is calculated from the initial concentration in the two bulbs, which was further checked for some runs by determining the concentration at an interval of seven times the relaxation time.

TABLE I  $\label{eq:table_scale}$  Observed concentration of He at different times for N2-He at  $-30^{\circ}\mathrm{C}$ 

Time in minutes	R in ohms	$\mathrm{C}_1^t$	$\mathrm{C}_{1}t{-}\mathrm{C}_{1}^{\infty}$	$\log_{10}(\mathrm{C_1}^t - \mathrm{C_1}^{\infty})$
0 .	n-1	1.000	0.627	$\overline{1}$ . 7973
35	235.8	0.770	0.397	ĩ.5988
51	229.4	0.691	0.318	$\overline{1}.5024$
71	222.8	0.616	. 0.243	1.3856
91	217.1	0.559	0.186	1.2695

Fig. 1 gives the calibration curve for the three gas pairs and Fig. 2 shows the plots of  $\log_{10}(C_1{}^t-C_1^{\infty})$  versus t for  $N_2-$  He at all temperatures.

Table II gives the experimental values of diffusion coefficients for different pairs as determined by the present authors, together with the values obtained by other workers, wherever available, and also the calculated values of  $D_{12}$ , using the force constants obtained by the authors.

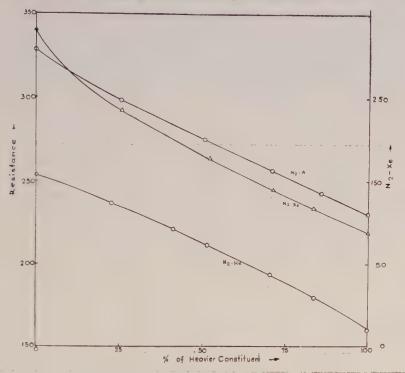


Fig. 1. Calibration curves.

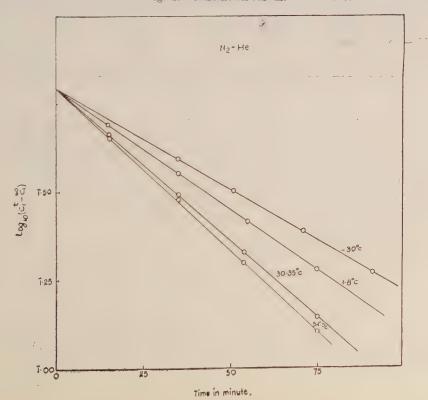


Fig. 2. Plot of log  $(C_1 t - C_1^{\infty})$  versus 't' for  $N_2$ -He.

 ${\bf TABLE~II} \\ {\bf Observed~values~of~the~diffusion~coefficient~in~em^2/sec} \\$ 

Gas mixtures	Temp. °K	Pressure in mm. Hg.	$\mathbf{D}_{p}$	D <sub>atm</sub> .	Previous <sup>a</sup> work	${ m D_{12}}$ calc. from force constants fitted to diffusion data
	243.2	62.0	5.847	0.477		0.484
	275.0	64.5	7.022	0.596		0.597
	298.16				0.7068	0.6797
$N_2$ —He	303.55	62.1	8.799	0.719	_	0.704
	328.16		<del>-</del> ,		0.8212	0.8011
	332.5	65.5	9.410	0.811	_	0.819
	358.16	_			0.9410	0.9232
	244.2	64.7	1.583	0.1348		0.1363
	274.6	62.2	2.063	0.1689		0.1685
$N_2 - A$	303.55	64.5	2.355	0.1999		0.2018
	334.7	68.3	2.707	0.2433		0.2399
	242.2	63.2	1.027	0.0854		0.0854
gyrygffe, Processitor yn 1	274.6	64.4	1.262	0.1070	or a supplementary of a	0.1078
$N_2 - Xe$	303.45	70.0	1.413	0.1301		0.1299
	334.2	60.3	1.952	0.1549		0.1551

a Rumpel, W.F. (1955)

#### DETERMINATION OF POTENTIAL PARAMETERS

The various methods for determining the potential parameters from the measured  $D_{12}$  values have been fully discussed by Bunde (1955) and Srivastava and Srivastava (1959a), pointing out their advantages and limitations. In the present work, the intersection method of Buckingham (1937) has been used for the determination of the force constants on the Lennard-Jones (12:6) model. As some scatter was found in the intersection points of the curves, the force constants obtained by this method were considered as approximate ones. These approximate values were used to calculate the parameters more accurately by the method of least square fitting. The least square method followed here has been discussed in detail by Paul and Srivastava (1961b).

The force constants determined are tabulated in Table III, together with the values obtained from the combination rules. It is clearly seen that the two sets of orce constants agree within the limits of experimental error.

TABLE III

Potential parameters on the Lennard-Jones (12:6) model from the experimental data

Gas pair	Present work	From combination rules	
N2-He			
ε <sub>12/k</sub> (°K)	35.44	30.58	
$\sigma_{12}$ (Å)	. 3.129	3.129	
$N_3-A$			
ε <sub>12/k</sub> (°K)	107.03	106.5	
$\sigma_{12}$ (Å)	3.530	3.549	
$N_2$ —Xe			
$\varepsilon_{12/k}$ (°K)	147.4	144.8	
$\sigma_{12}$ (Å)	3.846	3.868	

#### COMPARISON WITH EXPERIMENTS

## (a) Mutual diffusion coefficient

The force constants obtained in the present work have been used to calculate the diffusion coefficients, which have been tabulated in Table II. The agreement obtained is excellent. Further, in case of  $N_z$ —He where data of other workers (Rumpel, 1955; Walker and Westenberg, 1958) are available upto 1100°K, the diffusion coefficients calculated from our force constants have been compared

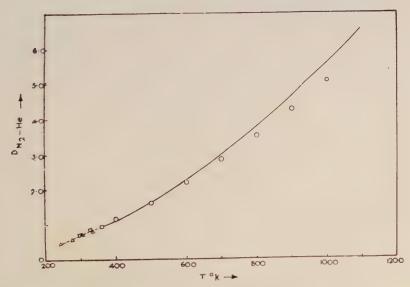


Fig. 3, Temperature variation of the diffusion coefficient of  $N_2$ -He system. ———Interpolated from Walker and Westernberg (1958)

Δ Present work. 
 □ Data taken from Pumpel (1955).
 Calculated values using force constants obtained in the prasent paper.

graphically with experimental values in Fig. 3. It will be seen from the figure that up to 700°K, the force constants obtained here reproduce experimental values tolerably well. At higher temperatures there are significant deviations, but the force constants determined from the data in the temperature range 250°K to 350°K are not expected to hold good above 700°K.

## (b) Thermal conductivity of mixtures

The full procedure for the determination of the thermal conductivity of mixtures from the experimental values of the mutual diffusion coefficient and other transport properties of pure component has been given previously (Paul and Srivastava, 1961a).

Fig. 4 presents the experimental values of the thermal conductivity of the mixtures with those calculated by the above method. The agreement is excellent for all the three mixtures. The experimental values of thermal conductivity are taken from Srivastava and Srivastava (1959b) for  $N_2$ —A and from Barua (1959) for  $N_2$ -He and  $N_2$ -Xe.

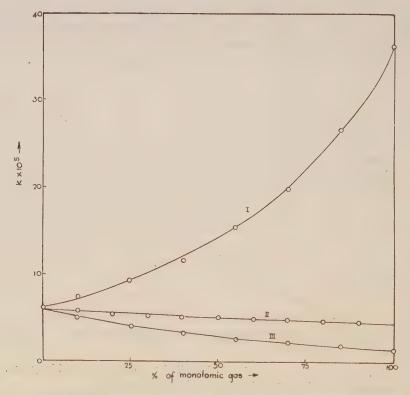


Fig. 4. Comparison of experimental and calculated values of thermal conductivity.

I. E<sub>2</sub>-He at 30°C, II. N<sub>2</sub>-A at 38°C, and III. N<sub>2</sub>-Xe at 30°C.

### DISCUSSIONS

As the force constants for the pure components are not known very accurately, it is not possible to test the combination rules critically. However, like previous cases, in the present work also, no systematic departure from the combination rule could be observed.

It will be of considerable interest to see how well our force constants reproduce the transport properties other than diffusion and thermal conductivity, but unfortunately, no such data are available at present.

#### ACKNOWLEDGMENT

The authors are grateful to Prof. B. N. Srivastava, D.Sc., F.N.I., for guidance and valuable discussions. One of the authors (R.P.) is thankful to Council of Scientific and Industrial Research, New Delhi, for financial assistance.

#### REFERENCES

Barua, A. K., 1959, Physica, 25, 1275.

Buckingham, R. A., 1938, Proc. Roy. Soc. (Lond.), A 168, 264.

Bunde, R. E., 1955, Univ. of Wisconsin, CM-850.

Ney, E and Armistead, F. C., 1947, Phys. Rev., 71, 14.

Paul, R., and Srivastava, I. B., 1961a, J. Chem. Phys. In press.

Paul, R., and Srivastava, I. B., 1961b, Ind. J. Phys., In press.

Rumpel, W. F., 1955, Univ. of Wisconsin, CM-851.

Srivastava, B. N. and Srivastava, K. P., 1959a, J. Chem. Phys., 30, 984.

Srivastava, B. N. and Srivastava, R. C., 1959b, J. Chem. Phys., 30, 1200.

Srivastava, K. P., 1959, Physica, 25, 571.

Srivastava, K. P., and Barua, A. K., 1959, Ind. J. Phys., 33, 229.

Walker, R. E., and Westenberg, A. A., 1958, J. Chem. Phys., 29, 1147.

## ELECTRON MICROSCOPE STUDIES ON THE COTTON CELLULOSE

### D. K. SAHA

|BIOPHYSICS DIVISION,

SAHA INSTITUTE OF NUCLEAR PHYSICS, CALCUTTA-9

(Received June 30, 1961)

**ABSTRACT** Hydrolysis of cotton cellulose in strong mineral acid shows a disintegrating fibrillar structure under electron microscope. The broken up fibrils and particles have almost the same lateral dimension and there is an indication of layer lattice structure of cellulose. No definite minimum of the length of the particles could be observed.

#### INTRODUCTION

Morphological study of cotton cellulose by some workers (Balls and Hancock, 1922) under light microscope shows dislocated striations. Dislocation of striations were also noted in most of the bast fibres prominently in flax (Muhlethaler, 1949). The transverse section shows cell structure in both the varieties (Hock et al., 1940). The molecular structure has been studied by X-ray and the unit cell has been defined (Hessler et al., 1948). The state of orientation and purity of fibre, so far as  $\alpha$ -cellulose content in fibre is concerned, has also been studied (Berkley et al., 1938, 1949).

From the usual X-ray diagram and also from small angle scattering, the average length of cellulose crystallites of Remie was found to vary between 500 Å and 600 Å (Heyn, 1950). But the exact shape and locations of these crystallites in the fibre could not be ascertained for want of proper technique.

It will be observed that the size of crystallites as suggested from X-ray studies is within the range which could be advantageously studied under electron microscope. The early attempts to study the structure of cellulose with electron microscope by Ruska and others (1940) did not succeed. Subsequently, attempts by replica technique by Astbury and Preston (1948) indicated the fibrillar structure, while Freywissling (1948) using mechanical grinding reported fibrillar structure of varying width and length. Subsequently Ranbi and Ribi (1949 and 1951) and also Mukherjee and Woods (1953) tried acid hydrolysis for the disintegration of fibres. They were successful in breaking the fibrils into descrete particles, believed to be the crystallites of cellulose. The present work contains an account of the electron microscopic studies on Indian cotton cellulose using the acid hydrolysis technique developed by Mukherjee and Woods (1953).

#### EXPERIMENTAL PROCEDURE

In this work a sample of raw Indian cotton was dewaxed by soxhlate extraction with Carbon tetra-chloride and after drying, it was further purified by boiling in dilute (2%) sodium hydroxide solution for 4 hours. The purified fibre was next treated in sulphuric acid solution of strength 920 grammes per litre at 32°C. The fibres disintegrated into small fragments and dispersed in the acid. In an attempt to wash this material by distilled water in a centrifuge, the fibres dispersed still further in a colloidal solution at a pH round about 4. The colloidal solution obtained by peptisation at each washing in the centrifuge was collected. This acidic colloidal solution was then dialysed in cellophen bags in distilled water at room temperature. Four to five days had to be allowed in the process of dialysis to raise the pH of the solution to about 5.5. Because the pH of distilled water itself against which the solution was dialysed was 5.8. The dialysed solution was further diluted with distilled water in order to obtain a concentration suitable for electron microscope. The specimen for an electron microscope was obtained by putting a small drop of solution on a colloidion coated microscope grid and evaporating the water to leave the cellulose behind. The specimen was next shadowed with chromium and subsequently examined under electron microscope. The microscope used was Siemens' Elmiskop I at 60kV.

TABLE I

Obs. nos.	Width of individual particles on the micrograph (cm)	Actual width of individual particles (cm) ÷ 17000
1 -	1.96 × 10 <sup>-2</sup>	$115.3 \times 10^{-8}$
2	2.91	171.2
3	1.97	115.9
4	2.89	170.0
5	1.79	105.3
6	2.13	125.3
7	2.06	121.2
8	1.82	107.1
9	2.83	166.5
10	1.81	106.5

#### DISCUSSION

The electron micrograph (Fig. 1) shows a distinct fibrillar structure with a definite indication of breakdown into elongated discrete particles as could be

seen in the field of observation. It is also observed on the micrograph that the fibrils and the particles have more or less the same lateral dimension. In other



Fig 1.

words the structure as revealed under microscope shows a disintegrating fibrillar structure breaking into particles. On closer observation of the aggregates, there is an indication that they are rather in flat layers which probably are in conformity with the idea of layer lattice, associated with structure of cellulose. No definite minimum of the length of the particle could be observed. But they were found to vary from 500 Å to 2500 Å and above. Nevertheless the width of the particles was found to vary within a narrow range, when measured. The average width of the particle was found to be about 130.4  $\pm$  8.70 Å.

It is expected that under favourable conditions, by using different time, concentration and temperature of acid it may be possible to study the individual units (fibrils) which is the basis of building mechanism of the structure. This work is being further pursued to see if similar results can be obtained in case of bast fibres and to study the difference, if any, between the bast fibres and comparatively more pure varieties of fibres like cotton and also amongst the bast fibres themselves.

#### ACKNOWLEDGMENT

The author wishes to thank Professor N. N. Das Gupta and Shri M. L. De of the Saha Institute of Nuclear Physics and Dr. S. M. Mukherjee, Principal,

College of Textile Technology, Serampore, for their invaluable assistance in this work.

#### REFERENCES

Astbury, W. T., Preston, R. D., Nicolai, E., Reed, R. and Millard, A., 1948, Nature, 162, 665.

Balls, W. L. and Hancock, H. A., 1922, Proc. Roy. Soc., B 93, 426.

Berkley, E. E. and Woodyard, O. C., 1938, Ind. Eng. Chem., 10, 451.

Berkley, E. E. and Woodyard, O. C., 1948, U. S. D. A. Tech. Bull. NO. 949.

Freyweissling, A., Muhlethaler, K. and Wyckoff, R. W. C., 1948, Experiments, 4, 476.

Hessler, L. E., Marion, E., Simson, and Berkley, E. E., 1948, Text Res. Jour., 18, 679.

Heyn, A. J. N., 1950, Amer. Chem. Soc., 72, 2284.

Hock, C. W., Ramsey, R. C. and Harris, M., 1940, J. Res. Nat. Bur. Stand., 26.

Muhlethaler, K., 1949, Biochem. Biophys. Acta., 3, 15.

Mukherjee, S. M. and Woods, H. J., 1953, Biochem. Biophys. Acta, 10, 499.

Ranbi, B. G. and Bibi, E., 1949, Acta Chem. Scand., 3, 649.

Ranbi, B. G. and Ribi, E., 1951, Trans. Farad. Soc. Symp., No. 11, 158.

Ruska, H. and Kretscher, M., 1940, Kolloid Z., 93, 163.

Finite Administration of the State of the St

S DESELLE

west the Administration of the second

## IMPORTANT PUBLICATIONS

The following special publications of the Indian Association for the Cultivation of Science, Jadavpur, Calcutta, are available at the prices shown against each of them:—

TITLE		AUTHOR		1	PRIC	Ė
Magnetism Report of the Symposium	on N	Magnetism	Rs.	7	0	0
Iron Ores of India		Dr. M. S. Krishnan		5	0	0
Earthquakes in the Himalayan Region		Dr. S. K. Banerji		3	0	0
Methods in Scientific Research		Sir E. J. Russell		0	6	0
The Origin of the Planets		Sir James H. Jeans		0	6	0
Active Nitrogen— A New Theory.		Prof. S. K. Mitra		2	8	0
Theory of Valency and the Structure of Chemical Compounds.		Prof. P. Ray		3	0	0
Petroleum Resources of India		D. N. Wadia		2	8	0
The Role of the Electrical Double-layer in the Electro-Chemistry of Colloids.		J. N. Mukherjee		1	12	0
The Earth's Magnetism and its Changes		Prof. S. Chapman		1	0	0
Distribution of Anthocyanins		Robert Robinson		1	4	0
Lapinone, A New Antimalarial		Louis F. Fieser		1	0	0
Catalysts in Polymerization Reactions		H. Mark		1	8	0
Constitutional Problems Concerning Vat Dyes.	• •	Dr. K. Venkataraman		1	0	0
Non-Aqueous Titration		Santi R. Palit, Mihir Nath Da and G. R. Somayajulu	as	3	0	0
Garnets and their Role in Nature		Sir Lewis L. Fermor		2	8	0

A discount of 25% is allowed to Booksellers and Agents.

### NOTICE

No claims will be allowed for copies of journal lost in the mail or otherwise unless such claims are received within 4 months of the date of issue.

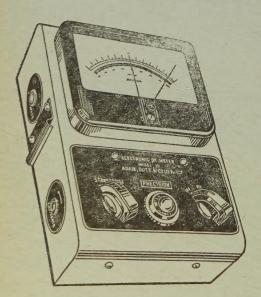
## RATES OF ADVERTISEMENTS

1.	Ordinary pag	ges:					
	Full page						Rs. 50/- per insertion
	Half page						Rs. 28/- per insertion
2.	Pages facing	1st inside c	over, 2nd	inside cover	and first	and las	t page of book matter:
	Full page						Rs. 55/- per insertion
	Half page						Rs. 30/- per insertion
3.	Cover pages						by negotiation
	25% commadvertiseme		allowed	to bona fide	publicity	agents	securing orders for

Vol.	35.	No.	10

		-
		PAGE
52.	Application of the Urey-Bradley and the Orbital Valency Force Fields to some Tetrahedral ions—A. T- Hariharan	493
53.	X-Ray Study of a Dehydrated Phase of Copper Ammonium Sulphate Hexahydrate—Gouri Bhowmik	499
54.	The Crystallite Orientation in Mesta Fibre—Subhrendu Kar and R. K. Basu	350 -
55.	The Dielectric Properties of Rosin-Maleic Anhydride Resin-A-K. Sen and G. N. Bhattaeharya	
56.	Vibrational Spectra of Thioglycollic Acid—P. G. Puranik, K. Venkata Ramiah and Vijay Kumar	517
57.	Studies on Binary Diffusion of the Gas Pairs N <sub>2</sub> .A, N <sub>2</sub> -Xe and N <sub>2</sub> -He-R. Paul and I. B. Srivastava	523
58.	Electron Microscope Studies on the Cotton Cellulose—D. K. Saha	530

## 'ADCO' 'PRECISION' MAINS OPERATED - - - ELECTRONIC PH METER MODEL 10



Single range scale 0-14, continuous through neutral point.

Minimum scale reading 0.1 pH Eye estimation to 0-05 pH.

Parts are carefully selected and liberally rated.

Power supply 220 Volts, 40-60 cycles. Fully stabilised.

Fully tropicalized for trouble free operation in extreme moist climate.

SOLE AGENT

## ADAIR, DUTT & CO. (INDIA) PRIVATE LIMITED

CALCUTTA. BOMBAY. NEW DELHI. MADRAS. SECUNDERABAD.

PRINTED BY KALIPADA MUKHERJEE, EKA PRESS, 204/1, B. T. ROAD, CALCUTTA-35 PUBLISHED BY THE REGISTRAR, INDIAN ASSOCIATION FOR THE CULTIVATION OF SCIENCE 2 & 3, LADY WILLINGTON ROAD, CALCUTTA-32